



# **Black bodies but not black boxes**

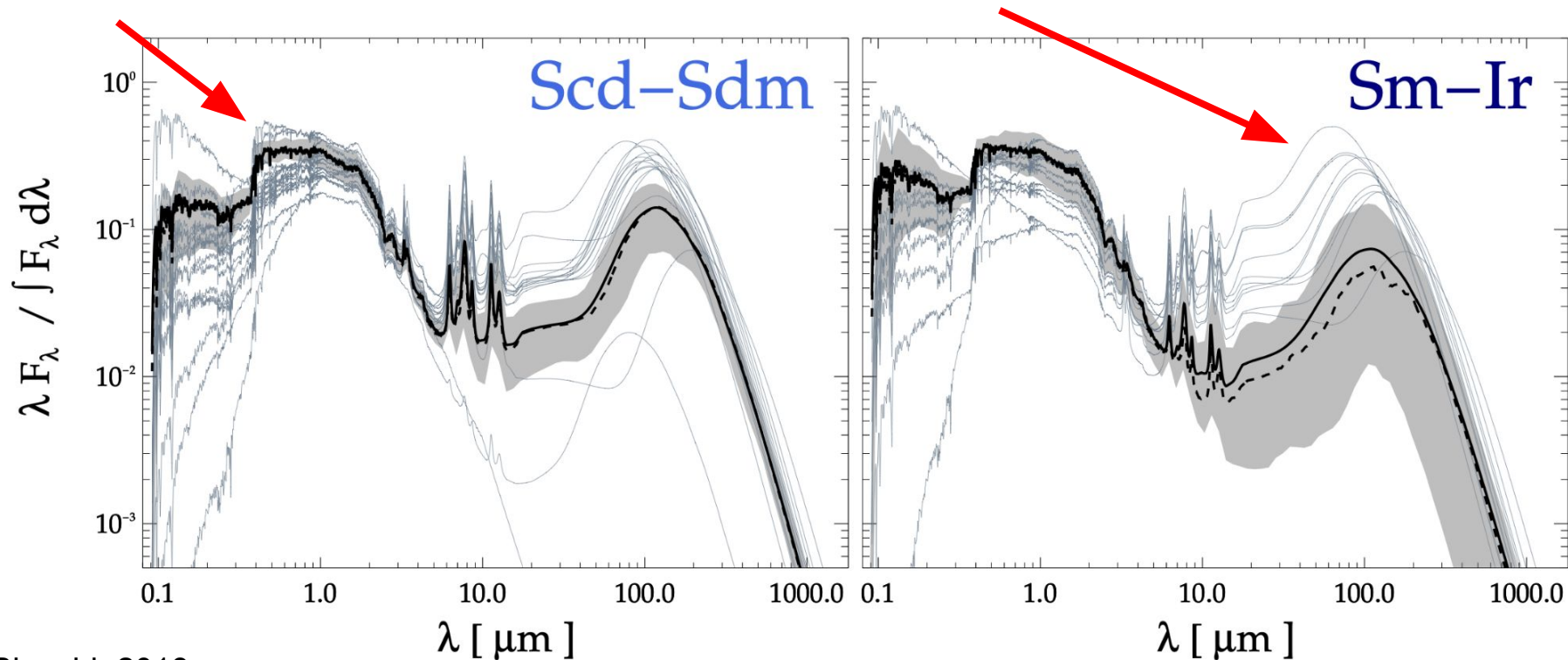
## ***Variations on fitting dust SEDs***

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# Motivation

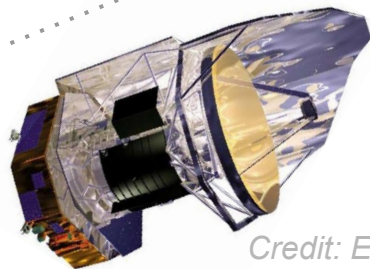
Starlight gets absorbed and re-emitted in the FIR



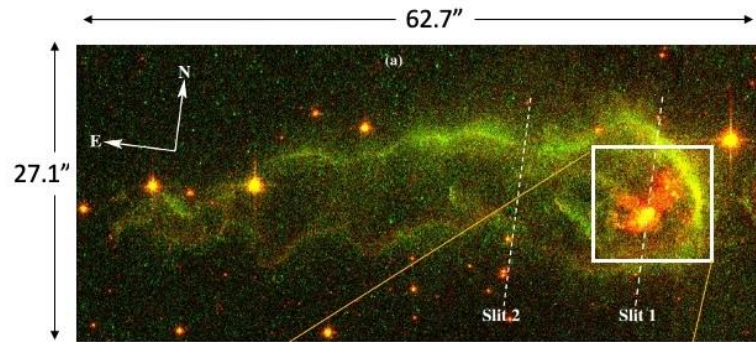
Bianchi+2018

# Motivation

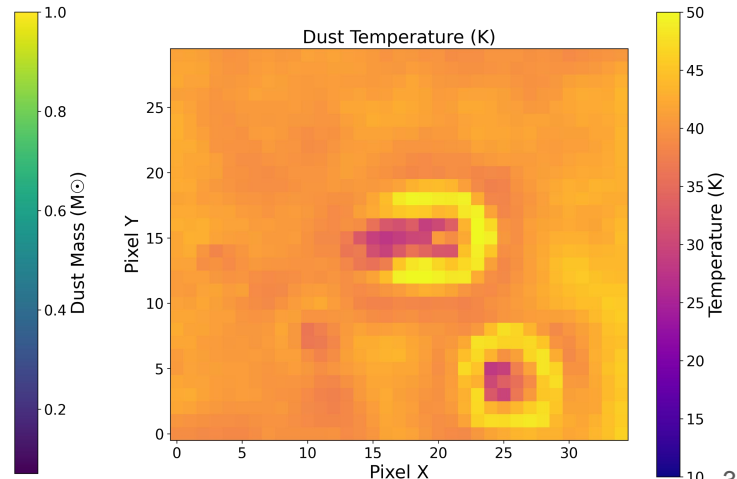
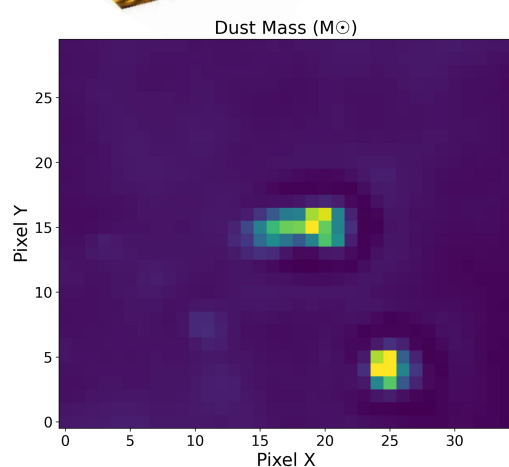
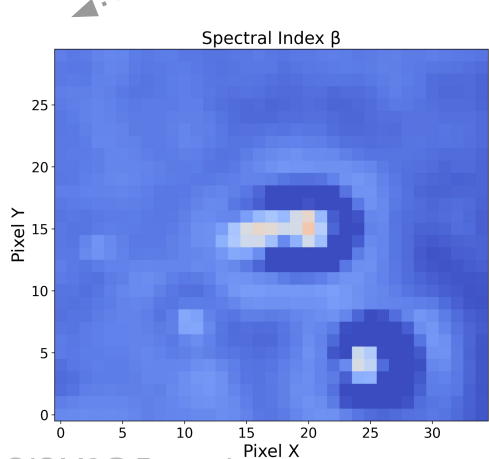
Allows to infer physical properties



Credit: ESA



'Proplyd', Sahai+2012



# Modified black body model

Modified black body

$$L_v(\lambda) = M_{dust} \times 4\pi\kappa_0 \left(\frac{\lambda_0}{\lambda}\right)^\beta \times B_v(\lambda, T)$$

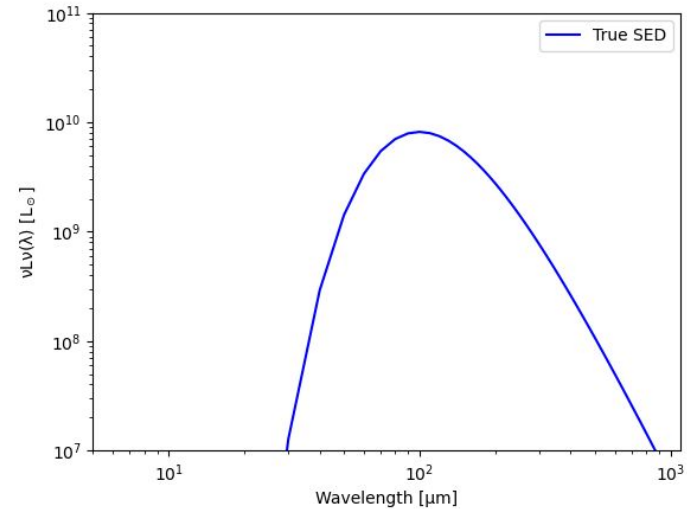
$$B_v(\lambda, T) = \frac{2hc}{\lambda^3} \frac{1}{e^{\frac{hc}{\lambda kT}} - 1}$$

the opacity as a power-law

$$\kappa_{abs}(\lambda) = \kappa_0 \left(\frac{\lambda_0}{\lambda}\right)^\beta$$

e.g.

$$\kappa_0 = 0.64 \text{ m}^2/\text{kg}, \beta = 1.79, M_{dust} = 10^7 M_\odot, T_{dust} = 25 \text{ K}$$



# Modified black body model

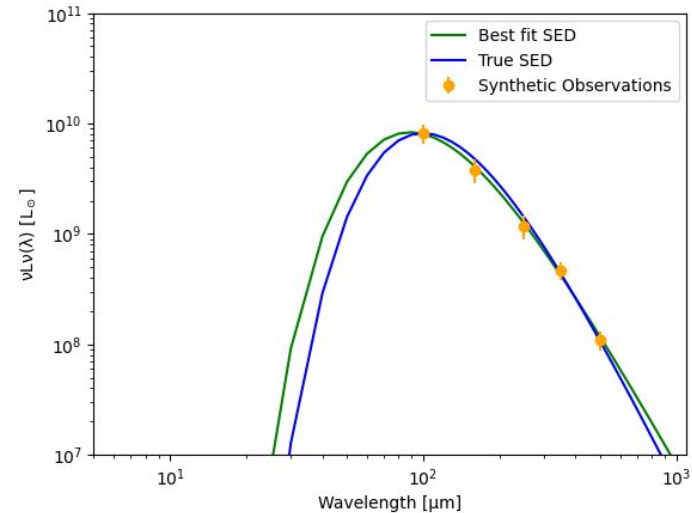
data point:

100  $\mu\text{m}$ , 160  $\mu\text{m}$ , 250  $\mu\text{m}$ , 350  $\mu\text{m}$ , 500  $\mu\text{m}$

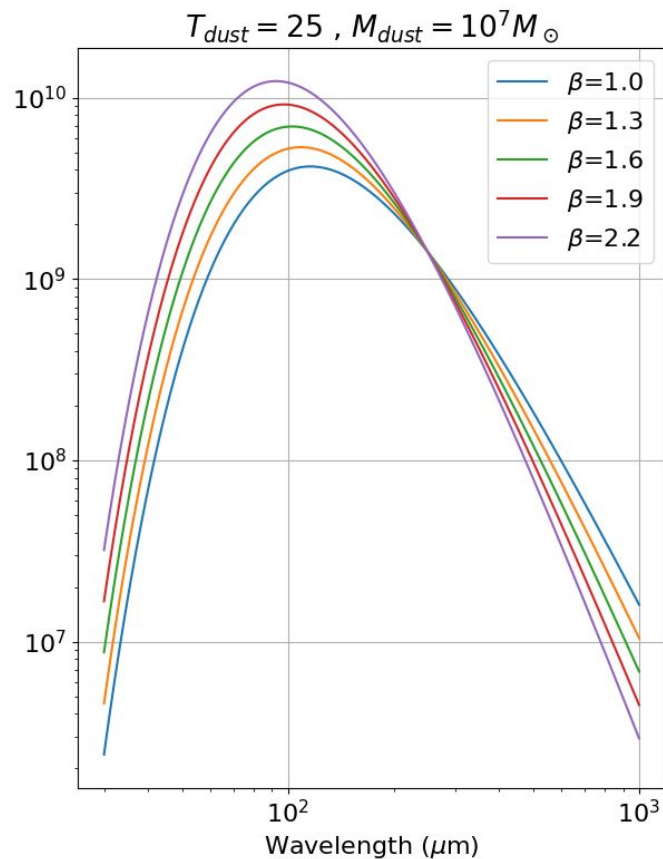
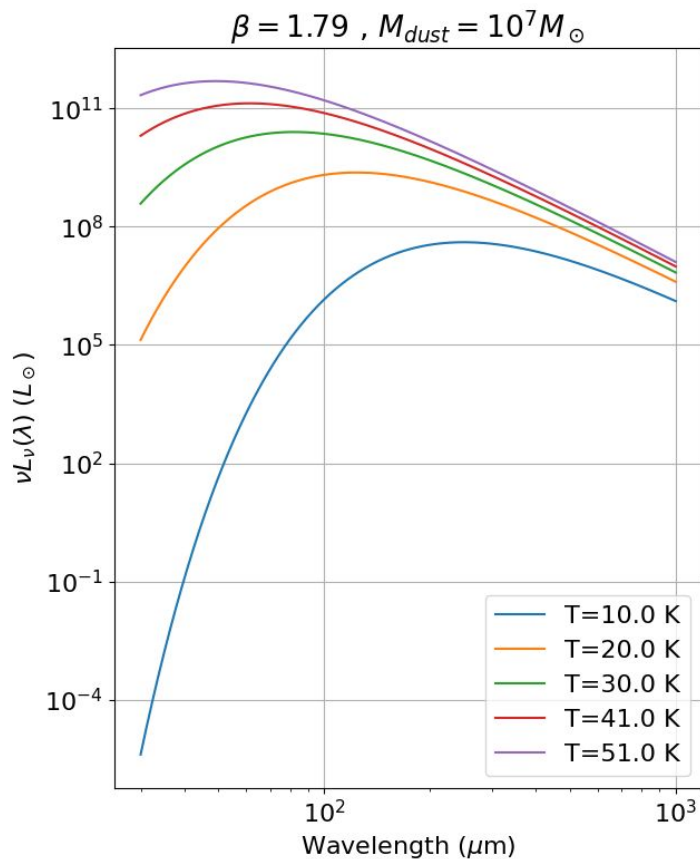
with gaussian noise added S/N = 5

Assume a multivariate Gaussian distribution of parameters, assuming no correlations:

$$\begin{aligned}\langle \log M_{\text{dust}} \rangle &= 7, \sigma(\log M_{\text{dust}}) = 0.2; \\ \langle \log T_{\text{dust}} \rangle &= \log 25, \sigma(\log T_{\text{dust}}) = 0.1; \\ \langle \beta \rangle &= 1.79, \sigma(\beta) = 0.1.\end{aligned}$$



# Modified black body model





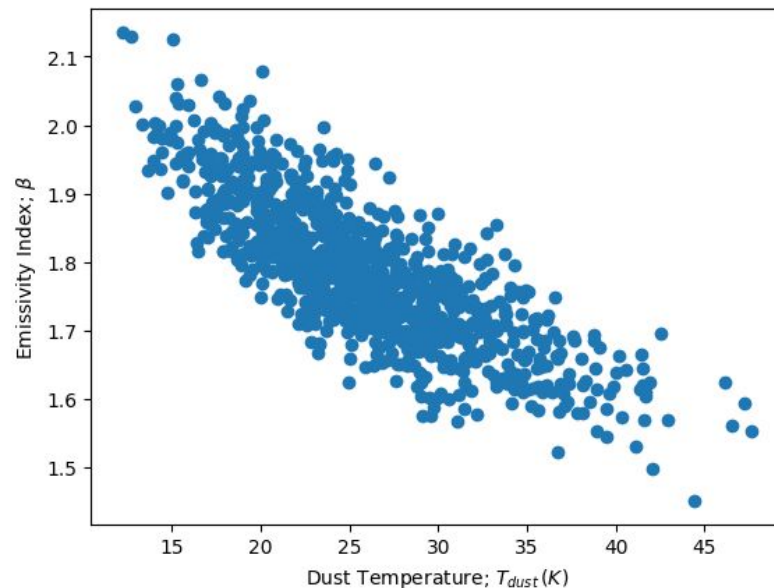
## The effect of correlated parameters

assuming correlations between the parameters:

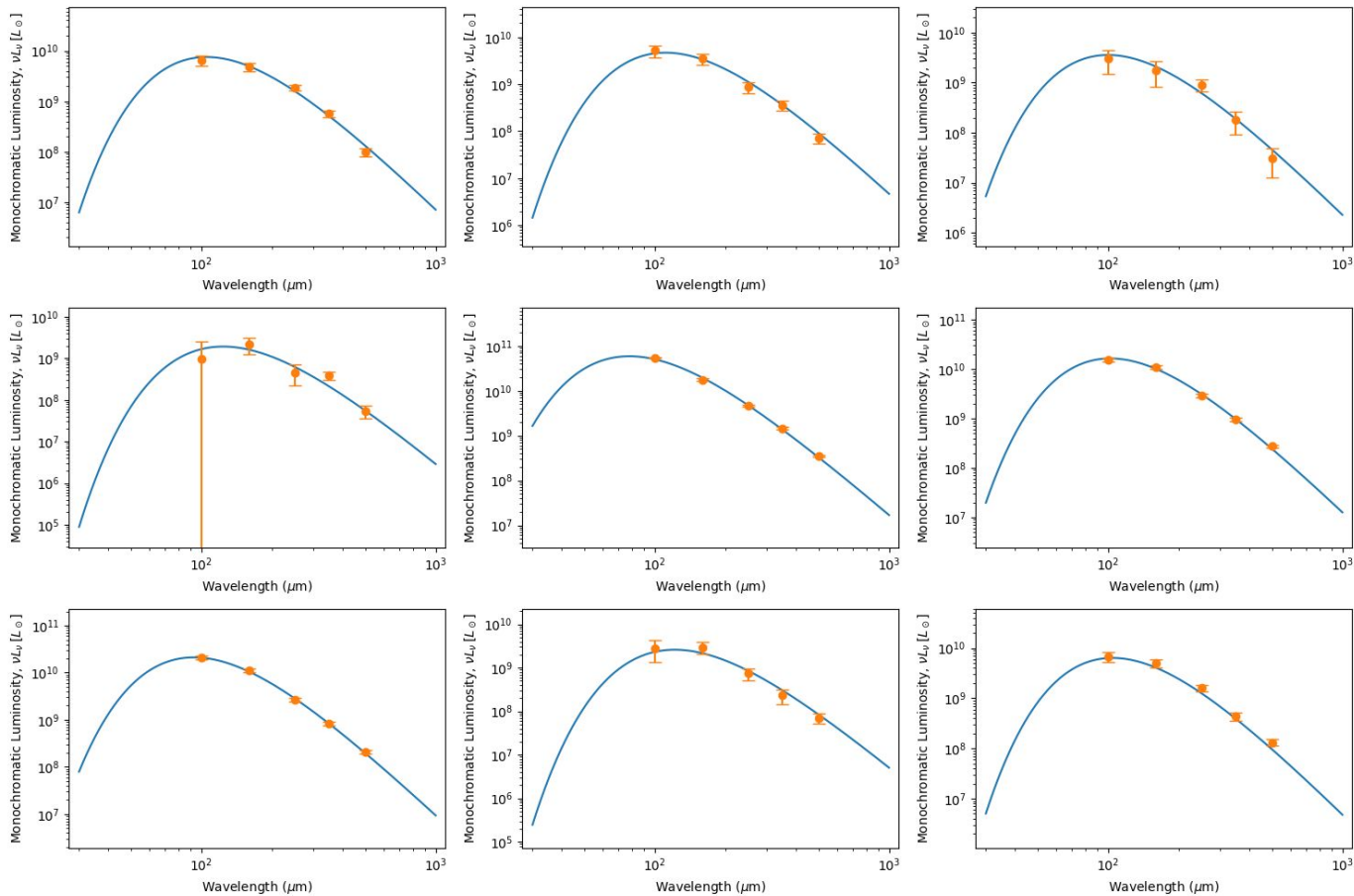
$$\rho(\log M_{\text{dust}}, \log T_{\text{dust}}) = -0.5$$

$$\rho(\log T_{\text{dust}}, \beta) = -0.8$$

$$\rho(\log M_{\text{dust}}, \beta) = 0$$

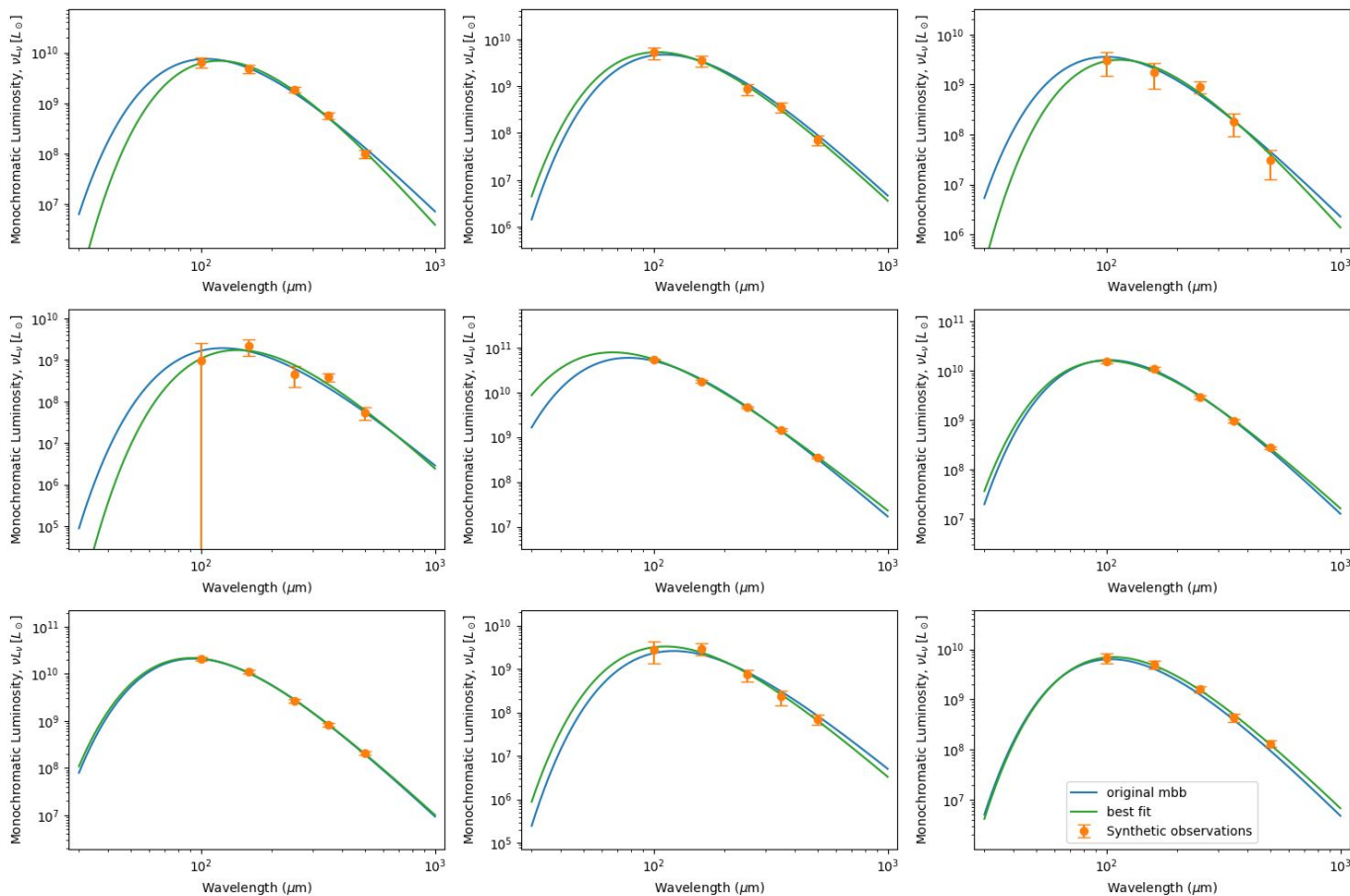


# (Optimized) least-squares fitting

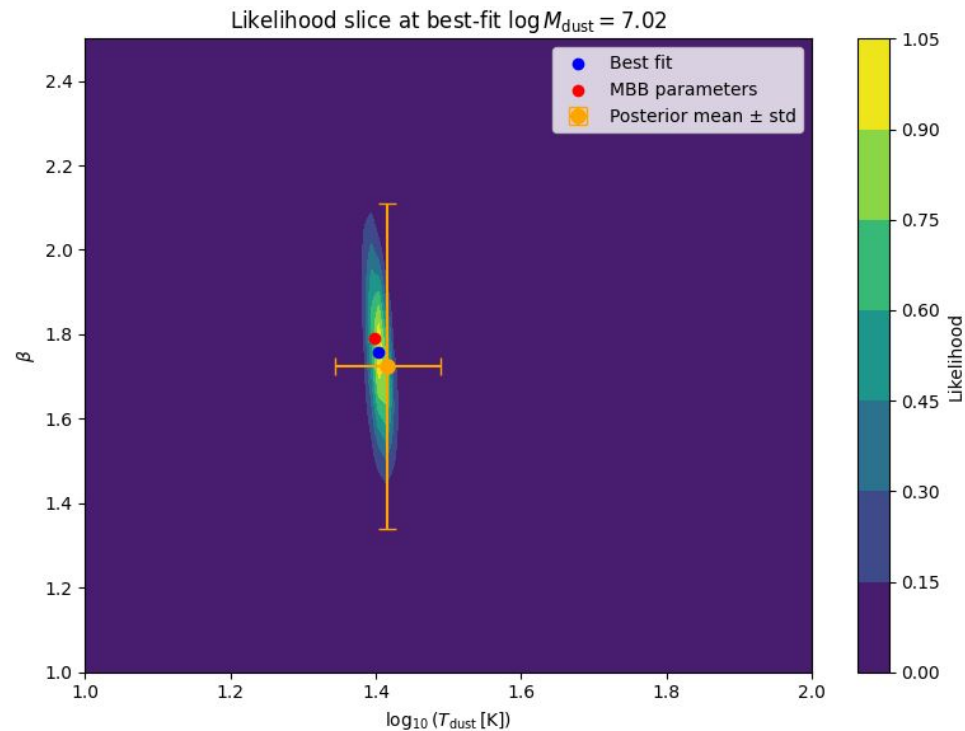
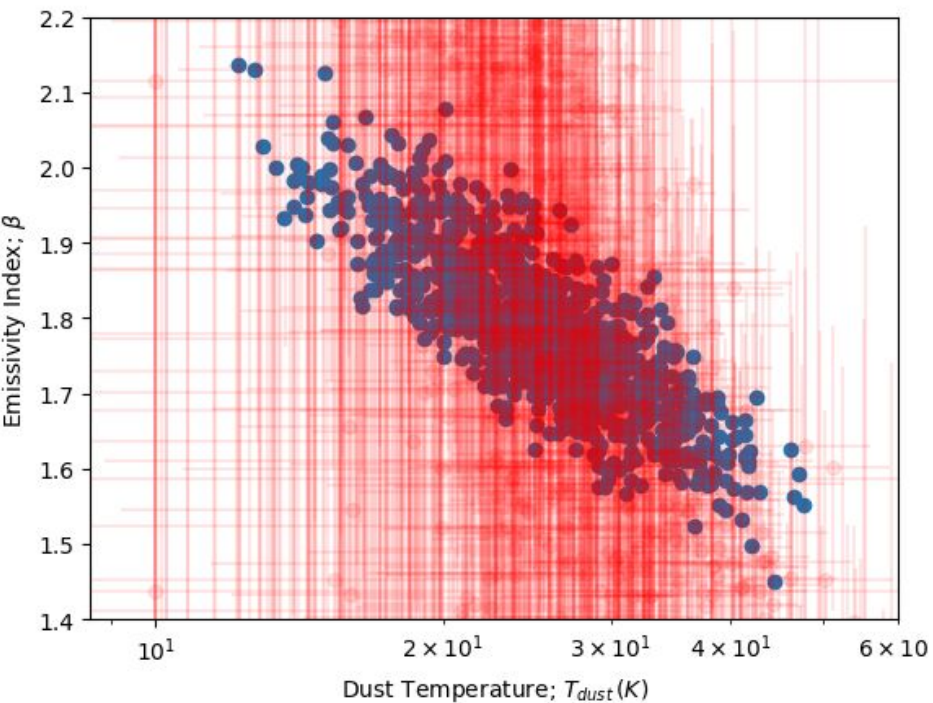




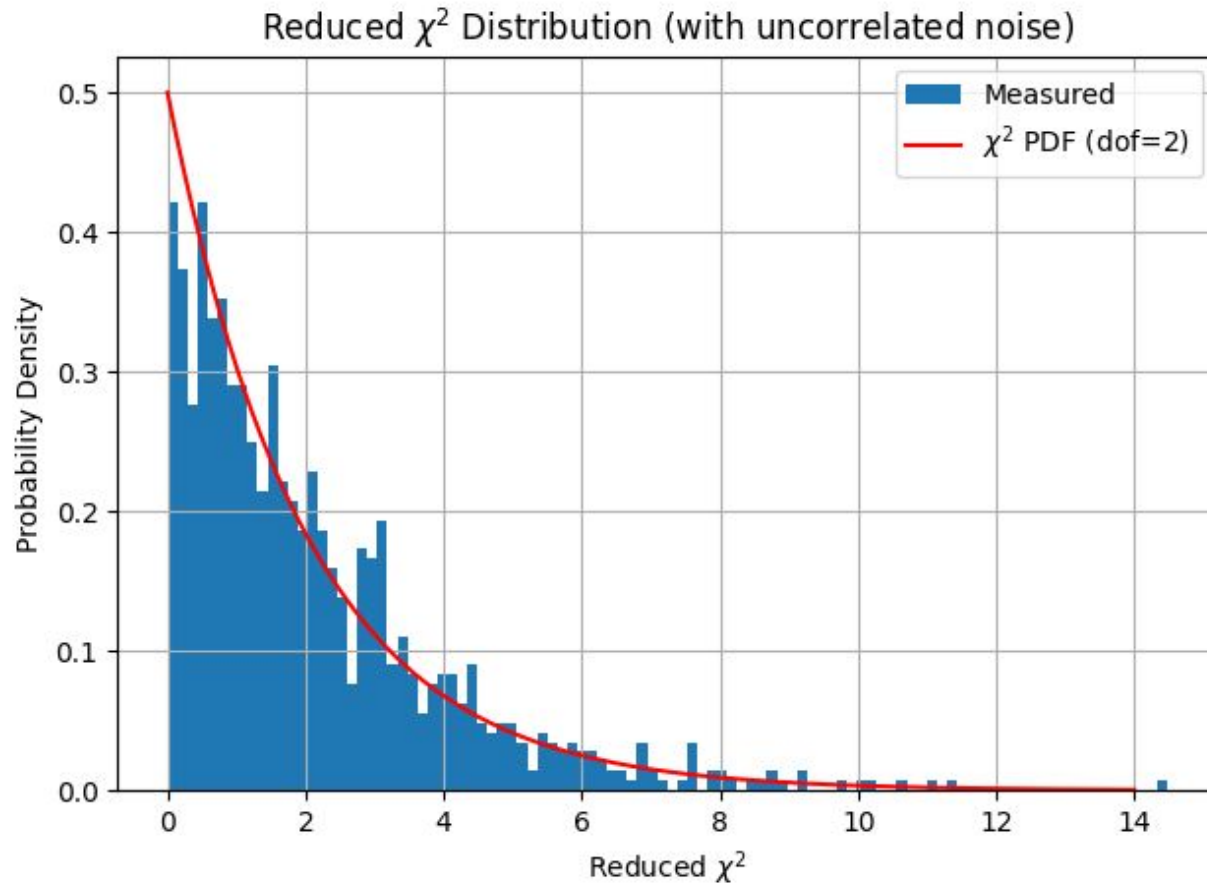
# (Optimized) least-squares fitting



# The distribution of fitted parameters

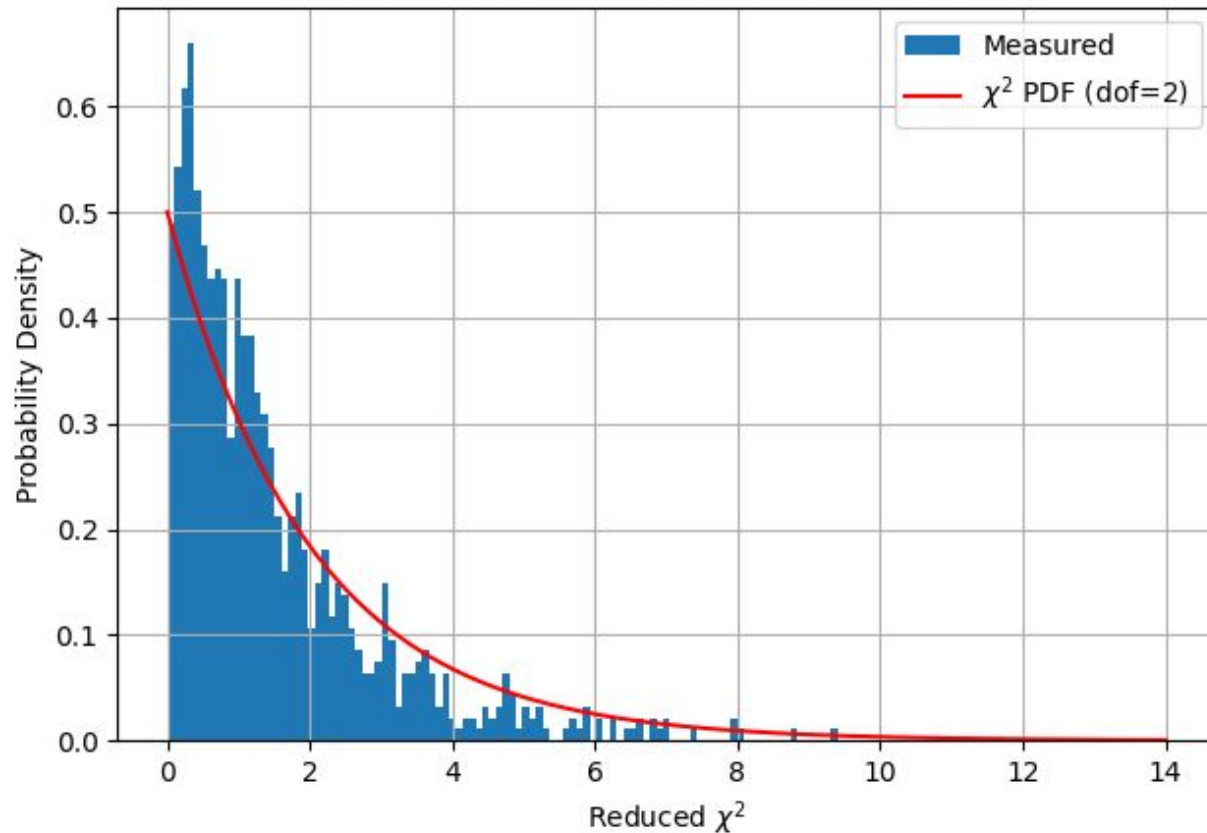


# The reduced $\chi^2$ distribution



# The reduced $\chi^2$ distribution

Reduced  $\chi^2$  Distribution (with correlated noise)



# DustEM (physical ISM dust models)

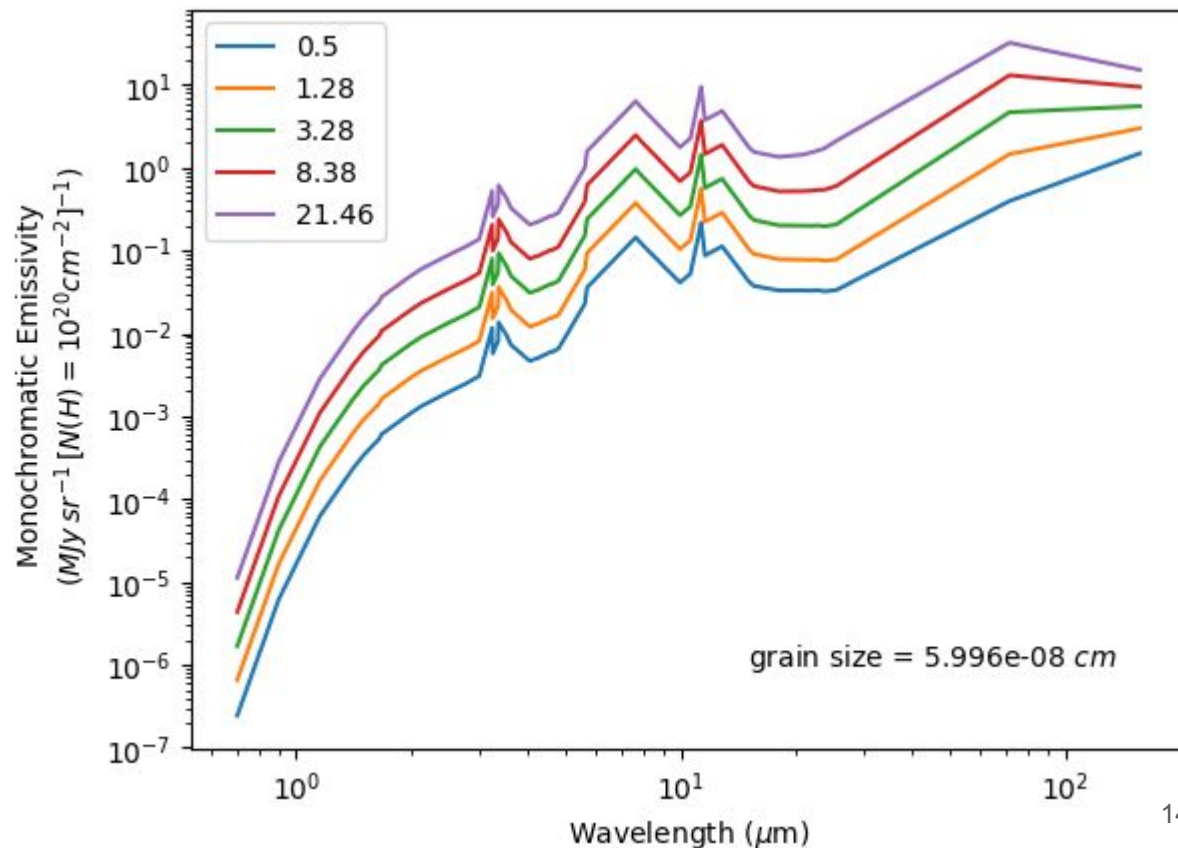
## Parameters

1. multiple radiation fields (intensity/hardness)
2. multiple dust grain types (size distributions/abundances)
3. add other processes (free-free/synchrotron)

# DustEM (physical ISM dust models)

Some examples  
minimum grain size  
vs.  
radiation field  
strength

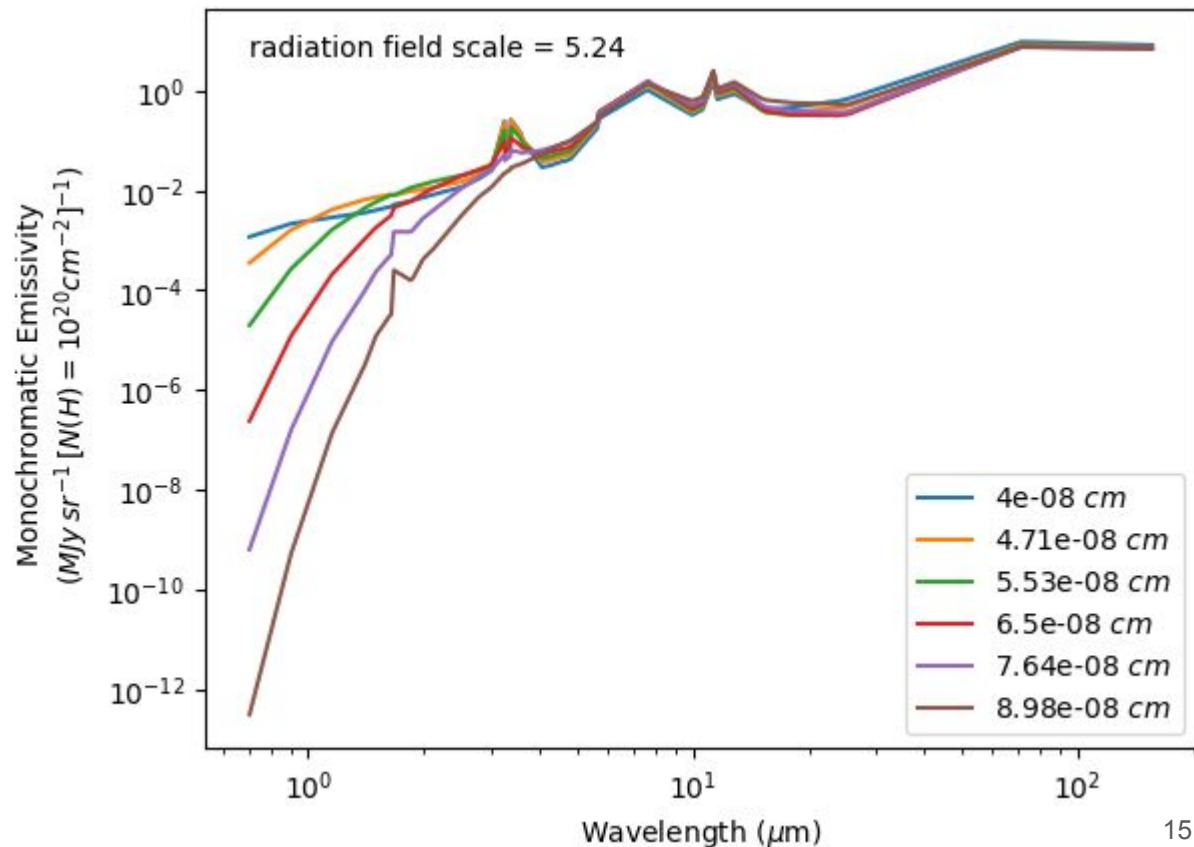
(change radiation  
field strength)





# DustEM (physical ISM dust models)

Some examples  
minimum grain size  
vs.  
radiation field  
strength  
  
(change grain size)



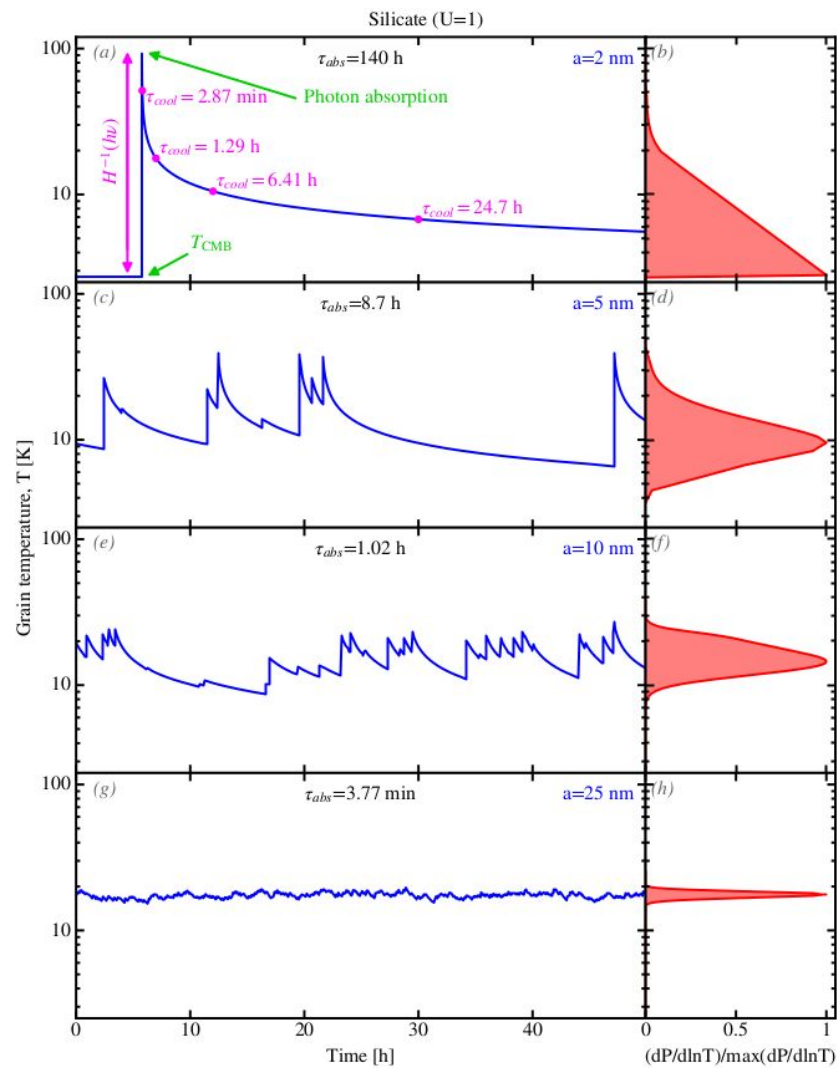
# DustEM (physical ISM dust models)

Why the drop at high frequency?

# DustEM

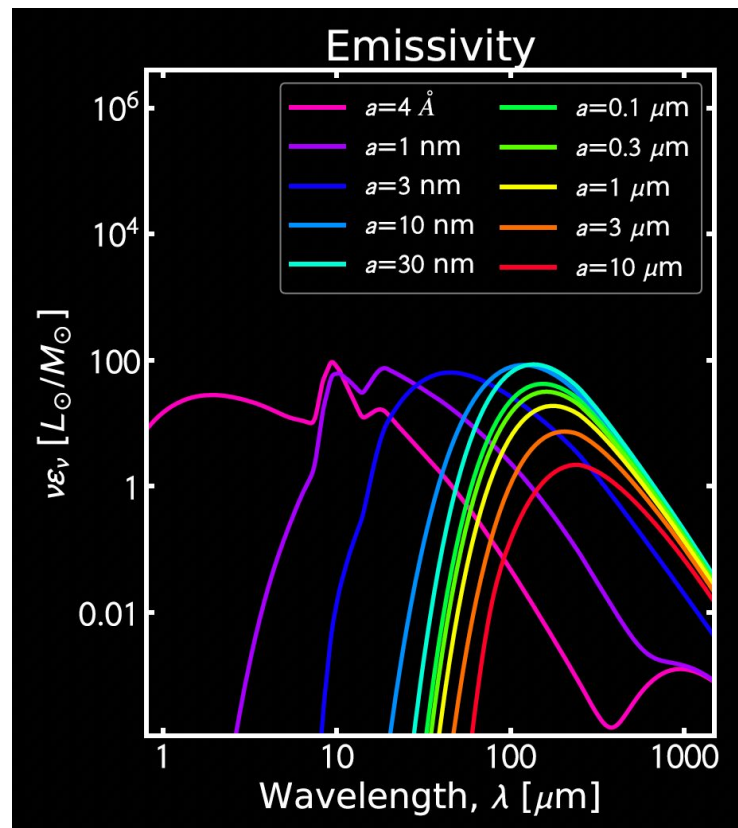
Why the drop

models)



# DustEM (physical ISM dust models)

Why the drop at high frequency?



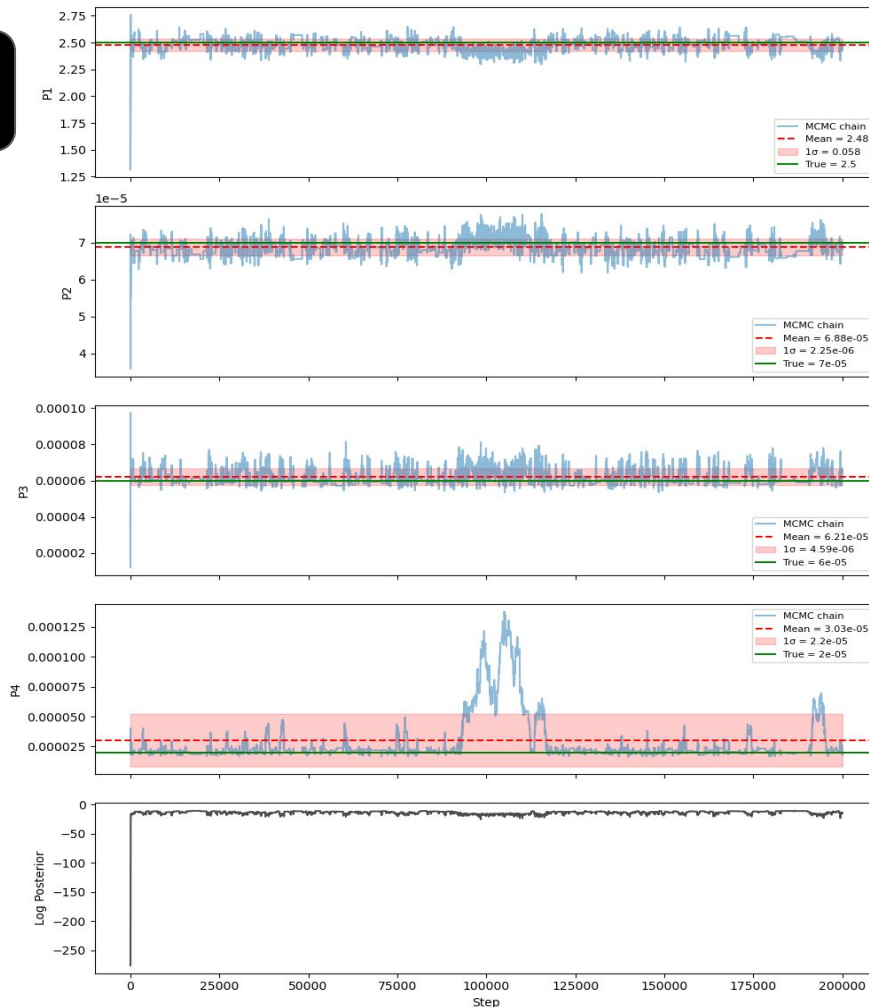
# Solving with MCMC- Bayesian approach

Bayes theorem:  $P(\theta | D) \propto P(D | \theta) * P(\theta)$

Tested on a MBB SED model before

Applications to Dust SED Models

- likelihood: from the interpolated SED model
- prior: uniform distribution
- sampler: Metropolis-Hastings



MCMC chains for Dust SED model parameters

# Conclusions

- The MBB model can effectively describe the shape of the FIR dust slope.
- Degeneracies between model parameters can be easily explored in a Bayesian framework, given that one carefully accounts for the effect of noise.
- Radiation field and grain size can have a major effect on the shape of the SED.

